

Digital IIR Filter Design using Real Coded Genetic Algorithm

Ranjit Kaur

University College of Engineering, Punjabi University, Patiala, India

E-mail: ranjit24_ucoe@pbi.ac.in

Manjeet Singh Patterh

University College of Engineering, Punjabi University, Patiala, India

E-mail: mspattar@pbi.ac.in

J.S. Dhillon

Sant Longowal Institute of Engineering & Technology, Longowal, India

E-mail: jsdhillon@sliet.ac.in

Abstract— The paper develops a technique for the robust and stable design of digital infinite impulse response (IIR) filters. As the error surface of IIR filters is generally multi-modal, global optimization techniques are required to design efficient digital IIR filter in order to avoid local minima. In this paper a real-coded genetic algorithm (RCGA) with arithmetic-average-bound-blend crossover and wavelet mutation is applied to design the digital IIR filter. A multicriterion optimization is employed as the design criterion to obtain the optimal stable IIR filter that satisfies the different performance requirements like minimizing the L_p -norm approximation error and minimizing the ripple magnitude. The proposed real-coded genetic algorithm is effectively applied to solve the multicriterion, multiparameter optimization problems of low-pass, high-pass, band-pass, and band-stop digital filters design. The computational experiments show that the proposed method is superior or atleast comparable to other algorithms and can be efficiently used for higher order filter design.

Index Terms— Digital IIR Filter, Real Coded Genetic Algorithm, Magnitude Error, L_p -Norm Error, Stability

I. Introduction

Digital filters are the most powerful tools used in digital signal processing applications. Due to number of advantages over analog filters, digital filters are more in demand in applications like high-data-rate digital communication systems and in wideband image processing systems. Infinite impulse response (IIR) digital filters offer improved selectivity, computational efficiency, and reduced system delay compared to what can be achieved by finite impulse response (FIR) digital filters with comparable approximation accuracy^[1].

Digital IIR filter design principally follows two techniques: transformation technique and optimization technique. Due to nonlinear and multimodal error surface of IIR filters, conventional gradient-based design methods may easily get stuck in the local minima of error surface. In order to avoid this problem efficient design methods which can achieve the global minima in a multimodal error surface are required. Genetic Algorithm (GA) is not only capable of searching multidimensional and multimodal spaces but also optimizes complex and discontinuous functions that are hard to analyze mathematically. Therefore, researchers have developed design methods based on modern heuristics optimization algorithms such as genetic algorithms^[2-10], particle swarm optimization^[11], seeker-optimization-algorithm-based evolutionary method^[12], simulated annealing^[13], tabu search^[14], ant colony optimization^[15], hybrid taguchi genetic algorithm (HTGA)^[16], immune algorithm (TIA)^[17] and many more.

Optimization methods are broadly classified based on the type of the search space and the objective function. In IIR filter design problems, the evaluation of candidate solutions could be computationally expensive since it requires time-consuming computer simulation. The normal GA design for IIR filter always assumes a predefined topology of the filter. Only the coefficients of the filter need to be determined. Genetic algorithm has been applied by Tang *et al.*^[5] to design the digital IIR filters. With this method the filter can be constructed in any form, such as cascade, parallel, or lattice and also the low-pass, high-pass, band-pass, and band-stop filters can be independently designed and the classical analog-to-digital transformation is avoided.

This paper proposes an efficient real-coded genetic algorithm (RCGA) with arithmetic-average-bound-blend crossover (AABX) and wavelet mutation (WM) for multicriterion optimization of digital IIR filter. The

values of the filter coefficients are optimized with RCGA to achieve L_p -norm error criterion in terms of magnitude response and ripples both in pass band and stop band for multicriterion optimization problem.

The paper is organized as follows. Section II describes the IIR filter design problem statement. The real-coded genetic algorithm for designing the optimal digital IIR filters is described in Section III. In Section IV, the performance of the proposed method has been evaluated and achieved results are compared with the design results by Tang *et al.* [5], Tsai *et al.* [16] and Tsai and Chou [17] for the LP, HP, BP, and BS filters. Finally, the conclusions and discussions are outlined in Section V.

II. IIR Filter Design Problem

A digital filter design problem involves the determination of a set of filter coefficients which meet various performance specifications such as pass-band width and corresponding gain, stop-band width and attenuation, band edge frequencies and tolerable peak ripple in the pass band and stop-band. The traditional design of the IIR filter is described by the following difference equation:

$$y(n) = \sum_{k=0}^M p_k x(n-k) - \sum_{k=1}^N q_k y(n-k) \quad (1)$$

where p_k and q_k are the coefficient of the filter. $x(n)$ and $y(n)$ are filter input and output. M and N are the number of filter coefficients, with $N \geq M$.

The transfer function of IIR filter is stated as below:

$$H(z) = \frac{\sum_{k=0}^M p_k z^{-k}}{1 + \sum_{k=1}^N q_k z^{-k}} \quad (2)$$

To design digital filter a set of filter coefficients p_k and q_k are determined, which meet specified performance indices. A common way of realizing IIR filters is to cascade several first-order and second-order sections together [4-5]. Regardless of the filter type, the structure of cascading type digital IIR filter, is stated as [5].

$$H(\omega, x) = A \left(\prod_{i=1}^M \frac{1 + p_{1i} e^{-j\omega}}{1 + q_{1i} e^{-j\omega}} \right) \times \left(\prod_{k=1}^N \frac{1 + r_{1k} e^{-j\omega} + r_{2k} e^{-2j\omega}}{1 + s_{1k} e^{-j\omega} + s_{2k} e^{-2j\omega}} \right) \quad (3)$$

where

$$x = [p_{11}, q_{11}, \dots, p_{1M}, q_{1M}, r_{11}, r_{21}, s_{11}, s_{21}, \dots, r_{1N}, r_{2N}, s_{1N}, s_{2N}, A]^T$$

and Vector x denotes the filter coefficients of dimension $V \times 1$ with $V = 2M + 4N + 1$ and A is the gain. The IIR filter is designed by optimizing the coefficients such that the approximation error function in L_p -norm [16,17] for magnitude is to be minimized. The magnitude response is specified at K equally spaced discrete frequency points in pass-band and stop-band. $e_1(x)$ denotes the absolute error L_1 -norm of magnitude response and $e_2(x)$ denotes the squared error L_2 -norm of magnitude response and are defined as given below:

$$e_1(x) = \sum_{i=0}^K |H_d(\omega_i) - |H(\omega_i, x)|| \quad (4)$$

$$e_2(x) = \sum_{i=0}^K (|H_d(\omega_i) - |H(\omega_i, x)||)^2 \quad (5)$$

Desired magnitude response $H_d(\omega_i)$ of IIR filter is given as:

$$H_d(\omega_i) = \begin{cases} 1, & \text{for } \omega_i \in \text{passband} \\ 0, & \text{for } \omega_i \in \text{stopband} \end{cases} \quad (6)$$

The ripple magnitudes of pass-band and stop-band are to be minimized, which are denoted by $\delta_1(x)$ and $\delta_2(x)$ respectively. Ripple magnitudes are defined as:

$$\delta_1(x) = \max_{\omega_i} \{ |H(\omega_i, x)| \} - \min_{\omega_i} \{ |H(\omega_i, x)| \} \quad \text{for } \omega_i \in \text{passband} \quad (7)$$

and

$$\delta_2(x) = \max_{\omega_i} \{ |H(\omega_i, x)| \} \quad \text{for } \omega_i \in \text{stopband} \quad (8)$$

Aggregating all objectives and stability constraints, the multicriterion constrained optimization problem is stated as

$$\text{Minimize } f_1(x) = e_1(x) \quad (9a)$$

$$\text{Minimize } f_2(x) = e_2(x)$$

$$\text{Minimize } f_3(x) = \delta_1(x)$$

$$\text{Minimize } f_4(x) = \delta_2(x)$$

Subject to: the stability constraints

$$1 + q_{1i} \geq 0 \quad (i = 1, 2, \dots, M) \quad (9b)$$

$$1 - q_{1i} \geq 0 \quad (i = 1, 2, \dots, M) \quad (9c)$$

$$1 - s_{2k} \geq 0 \quad (k = 1, 2, \dots, N) \quad (9d)$$

$$1 + s_{1k} + s_{2k} \geq 0 \quad (k = 1, 2, \dots, N) \quad (9e)$$

$$1 - s_{1k} + s_{2k} \geq 0 \quad (k = 1, 2, \dots, N) \quad (9f)$$

In multiple-criterion constrained optimization problem for the design of digital IIR filter a single optimal tradeoff point can be found by solving following:

$$\text{Minimize } f(x) = \sum_{j=1}^4 w_j f_j(x) \quad (10)$$

Subject to: The satisfaction of stability constraints given by (9b) to (9f). where w_j is nonnegative real number called weight.

$$q_{li} = \begin{cases} q_{li}(1-r)^2 & ;(1+q_{li}) < 0 \text{ or } (1-q_{li}) < 0 \\ q_{li} & ;\text{Otherwise} \end{cases} \quad (11a)$$

$$s_{2k} = \begin{cases} s_{2k}(1-r)^2 & ;(1-s_{2k}) < 0 \text{ or } (1-s_{2k}) \geq 0 \\ s_{2k} & ;\text{Otherwise} \end{cases} \quad (11b)$$

$$s_{1k} = \begin{cases} s_{1k}(1-r)^2 & ;(1+s_{1k}+s_{2k}) < 0 \text{ or } (1-s_{1k}+s_{2k}) < 0 \\ s_{1k} & ;\text{Otherwise} \end{cases} \quad (11c)$$

where r is any uniform random number which is varied between $[0,1]$. Square term gives small increment.

III. Real Coded Genetic Algorithm

Real coded genetic algorithm represents parameters without coding, which makes representation of the solutions very close to the natural formulation of a problem. In RCGA recombination and mutation operators are designed to work with real parameters. The use of real-parameter makes it possible to use large domains (even unknown domains) for variables. Capacity to exploit the graduality of the functions with continuous variables is another advantage. In the real-coded GAs, a chromosome is coded as a finite-length string of the real numbers corresponding to the design variables. Since the crossover operator makes cuts between genes in the binary-coded GA, it changes the value of the goal function variables, while in the real-coded GA it just interchanges the variables between individuals. A comparative study conducted by [19] has concluded that the real-coded GAs outperformed binary-coded GAs in many optimization problems. The basic elements of real coded genetic algorithms are selection, crossover and mutation. In reproduction, the individuals are selected based on their fitness values relative to those of the population. In the crossover operation, two individuals are selected at random from the mating pool and a crossover is performed using mathematical relations. In mutation, an occasional

The design of causal recursive filters requires the inclusion of stability constraints. Therefore, the stability constraints given by (9b) to (9f) which are obtained by using the Jury method [18] on the coefficients of the digital IIR filter in (3) have been forced to satisfy by updating the coefficients with random variation as given below. The variation is given as small so that the characteristic of population in RCGA should not be changed.

random alteration of an individual is done. In this paper, a real coded genetic algorithm with genetic operators including arithmetic-average-bound-blend crossover and wavelet mutation is applied to solve the short-term fixed-head hydrothermal scheduling problem. The arithmetic-average-bound-blend crossover operator combines the arithmetic crossover, average crossover, bound and blend crossover. The arithmetic crossover operation produces some children with their parent's features; average crossover manipulates the genes of the selected parents and the minimum and maximum possible values of the genes and bound crossover is capable of moving the offspring near the domain boundary. Therefore the offspring spreads over the domain so that a higher chance of reaching the global optimum can be obtained. The wavelet mutation operation based on wavelet theory [20] is a powerful tool for fine tuning of the genes to search the solution space locally. This property of wavelet mutation operation enhances the searching performance and provides a faster convergence than conventional real coded genetic algorithm. The above procedure to implement real coded genetic algorithm is outlined below:

Algorithm: Real coded genetic algorithm

- 1 Randomly generate initial population strings.
- 2 Evaluate fitness values of population members.
- 3 Is solution available among the population?

If 'yes' then GOTO Step 8.

- 4 Select highly fit members as parents using stochastic remainder roulette wheel selection and produce offsprings according to their fitness.
- 5 Create new member by mating current offspring's. Apply crossover and mutation operators to introduce variations and form new member.
- 6 New members replace existing one by applying competition and selection.
- 7 GOTO Step 3 and repeat.
- 8 Stop.

IV. Design Examples and Comparisons

A real coded genetic algorithm with arithmetic-average bound-blend crossover and wavelet mutation operator is applied to design the IIR filter. For the purpose of comparison, the lowest order of the digital IIR filter is set exactly the same as that given by Tang *et al.* [5] for the LP, HP, BP, and BS filters. Therefore, in this paper, the order of the digital IIR filter is a fixed number not a variable in the optimization process. The objective of designing the digital IIR filters is to minimize the objective function given by (10) with the

stability constraints stated by (9b) to (9f) under the prescribed design conditions given in Table 1.

The examples of the IIR filters considered by Tang *et al.* [5], Tsai *et al.* [16] and Tsai and Chou [17] are considered to test and compare the performance of proposed real coded genetic algorithm. For designing digital IIR filter 200 equally spaced points are set within the frequency domain $[0, \pi]$. In the proposed RCGA approach the combination of four criteria, L_1 -norm approximation error, L_2 -norm approximation error, ripple magnitudes of pass-band and ripple magnitude of stop-band are considered for designing IIR filter. These four criteria are contrary to each other in most situations. The filter designer needs to adjust the weights of criteria to design the filter depending on the filter specifications. For the purpose of comparison the weights w_1, w_2, w_3 and w_4 are set to be same as in [17] for the LP, HP, BP and BS filters respectively. The computational results obtained by the proposed RCGA approach are presented and compared with the results obtained by [5], [16] and [17] in Tables 2,3,4 and 5 and Figures 1-4 for the LP, HP, BP and BS filters respectively. The designed IIR filter models obtained by the RCGA approach for LP, HP, BP and BS are given by (12), (13), (14) and (15) respectively.

$$H_{LP}(z) = 0.04158594 \frac{(z + 1.1156040)(z^2 - 0.5927346z + 1.1003570)}{(z - 0.6386296)(z^2 - 1.3677100z + 0.7289657)} \tag{12}$$

$$H_{HP}(z) = 0.05619067 \frac{(z - 0.9891916)(z^2 + 0.7097803z + 1.0503780)}{(z + 0.6145034)(z^2 + 1.3455070z + 0.7274078)} \tag{13}$$

$$H_{BP}(z) = 0.0259320 \left(\frac{(z^2 - 0.2693041z - 1.2851630)(z^2 + 0.2281272z - 0.6565860)}{(z^2 - 0.6371701z + 0.7695490)(z^2 + 0.0094681z + 0.5415890)} \right) \times \left(\frac{(z^2 - 0.0769073z - 1.1026850)}{(z^2 + 0.6324920z + 0.7692200)} \right) \tag{14}$$

$$H_{BS} = 0.4555758 \frac{(z^2 + 0.4143518z + 0.9403493)(z^2 - 0.4205842z + 0.9600804)}{(z^2 - 0.8350366z + 0.5427915)(z^2 + 0.833525z + 0.541830)} \tag{15}$$

Table 1: Prescribed design conditions on LP, HP, BP and BS filters

Filter type	Pass-band	Stop-band	Maximum Value of $ H(\omega, x) $
Low-Pass(LP)	$0 \leq \omega \leq 0.2\pi$	$0.3\pi \leq \omega \leq \pi$	1
High-Pass(HP)	$0.8\pi \leq \omega \leq \pi$	$0 \leq \omega \leq 0.7\pi$	1
Band-Pass(BP)	$0.4\pi \leq \omega \leq 0.6\pi$	$0 \leq \omega \leq 0.25\pi$ $0.75 \leq \omega \leq \pi$	1
Band-Stop(BS)	$0 \leq \omega \leq 0.25\pi$ $0.75 \leq \omega \leq \pi$	$0.4\pi \leq \omega \leq 0.6\pi$	1

Table 2: Design results for Low Pass (LP) Filter

Method	L ₁ -normerror	L ₂ -norm error	Pass-band performance (Ripple magnitude)	Stop-band performance (Ripple magnitude)
RCGA Approach	4.0095	0.4185	$0.9335 \leq H(e^{j\omega}) \leq 1.0160$ (0.0825)	$ H(e^{j\omega}) \leq 0.1510$ (0.1510)
TIA Approach ^[17]	4.2162	0.4380	$0.9012 \leq H(e^{j\omega}) \leq 1.0000$ (0.0988)	$ H(e^{j\omega}) \leq 0.1243$ (0.1243)
HTGA Approach ^[16]	4.2511	0.4213	$0.9004 \leq H(e^{j\omega}) \leq 1.0000$ (0.0996)	$ H(e^{j\omega}) \leq 0.1247$ (0.1247)
Method of Tang <i>et al.</i> ^[5]	4.3395	0.5389	$0.8870 \leq H(e^{j\omega}) \leq 1.009$ (0.1139)	$ H(e^{j\omega}) \leq 0.1802$ (0.1802)

Table 3: Design results for High-Pass (HP) Filter

Method	L ₁ -normerror	L ₂ -norm error	Pass-band performance (Ripple magnitude)	Stop-band performance (Ripple magnitude)
RCGA Approach	4.5296	0.4415	$0.9677 \leq H(e^{j\omega}) \leq 1.0186$ (0.0508)	$ H(e^{j\omega}) \leq 0.1540$ (0.1540)
TIA Approach ^[17]	4.7144	0.4509	$0.9467 \leq H(e^{j\omega}) \leq 1.0000$ (0.0533)	$ H(e^{j\omega}) \leq 0.1457$ (0.1457)
HTGA Approach ^[16]	4.8372	0.4558	$0.9460 \leq H(e^{j\omega}) \leq 1.0000$ (0.0540)	$ H(e^{j\omega}) \leq 0.1457$ (0.1457)
Method of Tang <i>et al.</i> ^[5]	14.5078	1.2394	$0.9224 \leq H(e^{j\omega}) \leq 1.003$ (0.0779)	$ H(e^{j\omega}) \leq 0.1819$ (0.1819)

Table 4: Design results for Band-Pass (BP) Filter

Method	L ₁ -normerror	L ₂ -norm error	Pass-band performance (Ripple magnitude)	Stop-band performance (Ripple magnitude)
RCGA Approach	1.4062	0.1961	$0.9862 \leq H(e^{j\omega}) \leq 1.0050$ (0.0187)	$ H(e^{j\omega}) \leq 0.0598$ (0.0598)
TIA Approach ^[17]	1.6119	0.2191	$0.9806 \leq H(e^{j\omega}) \leq 1.0000$ (0.0194)	$ H(e^{j\omega}) \leq 0.0658$ (0.0658)
HTGA Approach ^[16]	1.9418	0.2350	$0.9760 \leq H(e^{j\omega}) \leq 1.0000$ (0.0234)	$ H(e^{j\omega}) \leq 0.0711$ (0.0711)
Method of Tang <i>et al.</i> ^[5]	5.2165	0.6949	$0.8956 \leq H(e^{j\omega}) \leq 1.000$ (0.1044)	$ H(e^{j\omega}) \leq 0.1772$ (0.1772)

Table 5: Design results for Band-Stop (BS) Filter

Method	L ₁ -norm error	L ₂ -norm error	Pass-band performance (Ripple magnitude)	Stop-band performance (Ripple magnitude)
RCGA Approach	3.7976	0.4566	$0.9774 \leq H(e^{j\omega}) \leq 1.0190$ (0.0415)	$ H(e^{j\omega}) \leq 0.1164$ (0.1164)
TIA Approach ^[17]	4.1275	0.4752	$0.9560 \leq H(e^{j\omega}) \leq 1.0000$ (0.0440)	$ H(e^{j\omega}) \leq 0.1171$ (0.1171)
HTGA Approach ^[16]	4.5504	0.4824	$0.9563 \leq H(e^{j\omega}) \leq 1.0000$ (0.0437)	$ H(e^{j\omega}) \leq 0.1013$ (0.1013)
Method of Tang <i>et al.</i> ^[5]	6.6072	0.7903	$0.8920 \leq H(e^{j\omega}) \leq 1.000$ (0.1080)	$ H(e^{j\omega}) \leq 0.1726$ (0.1726)

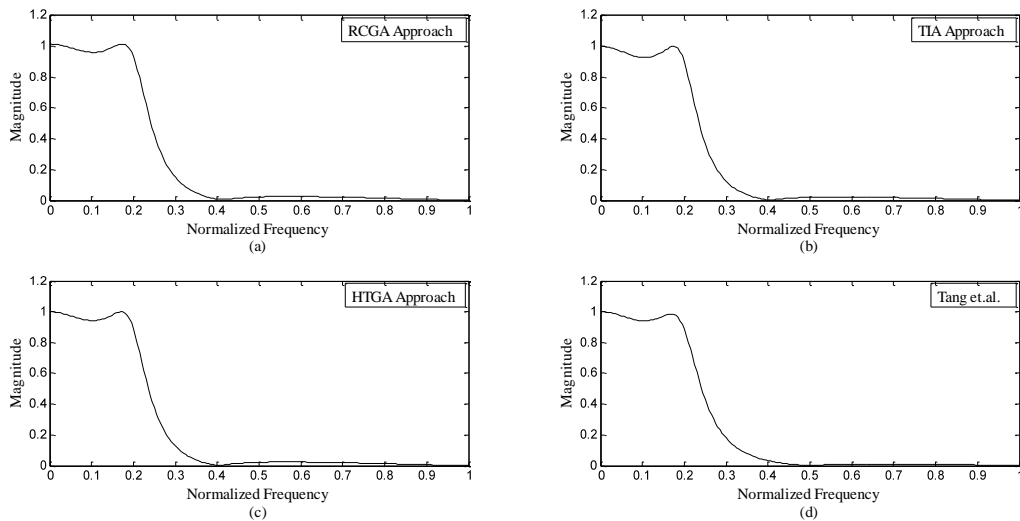


Fig. 1: Frequency responses of low pass filter using the RCGA approach and methods given in ^[17], ^[16] and ^[5]

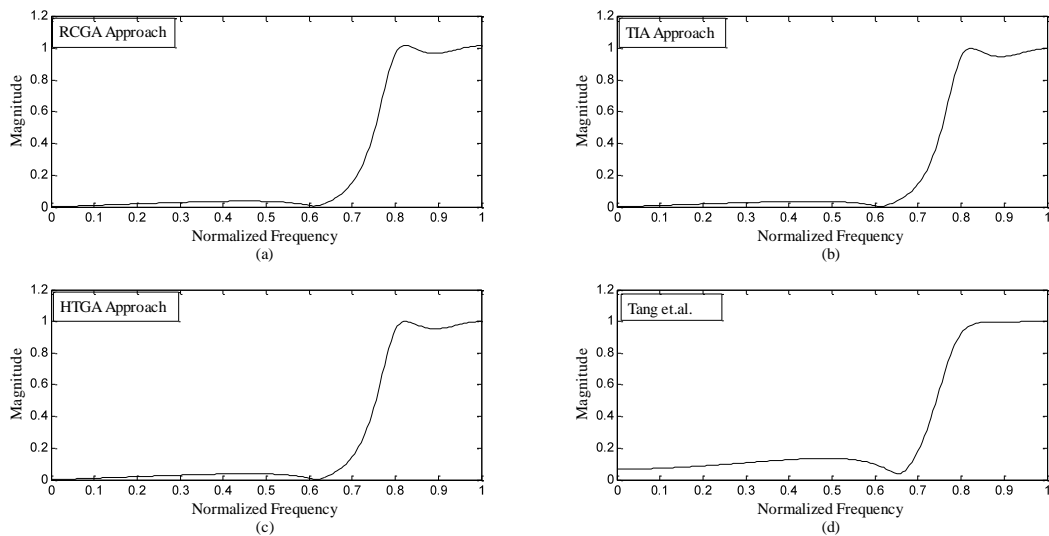


Fig. 2: Frequency responses of high pass filter using the RCGA approach and methods given in ^[17], ^[16] and ^[5]

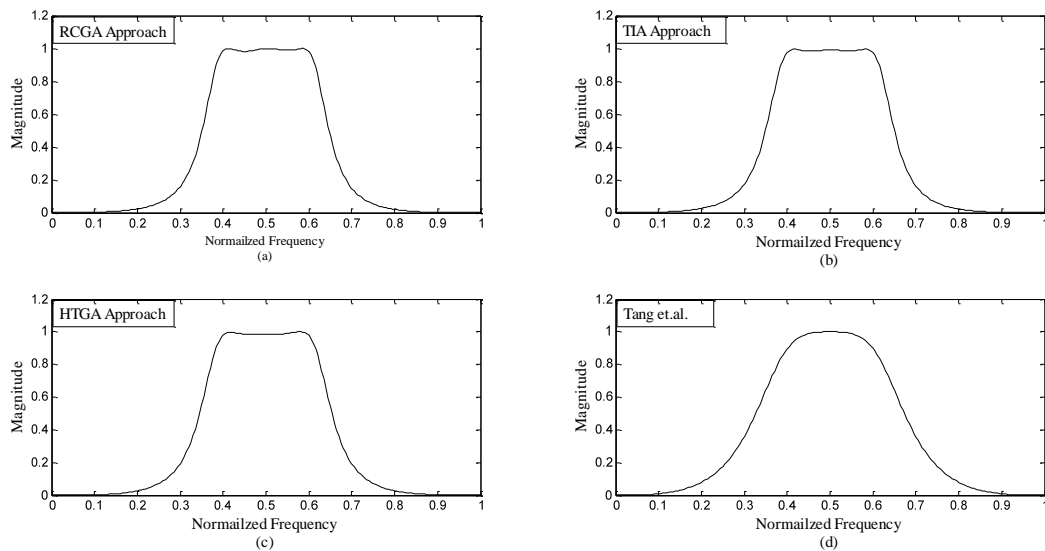


Fig. 3: Frequency responses of band pass filter using the RCGA approach and methods given in [17], [16] and [5]

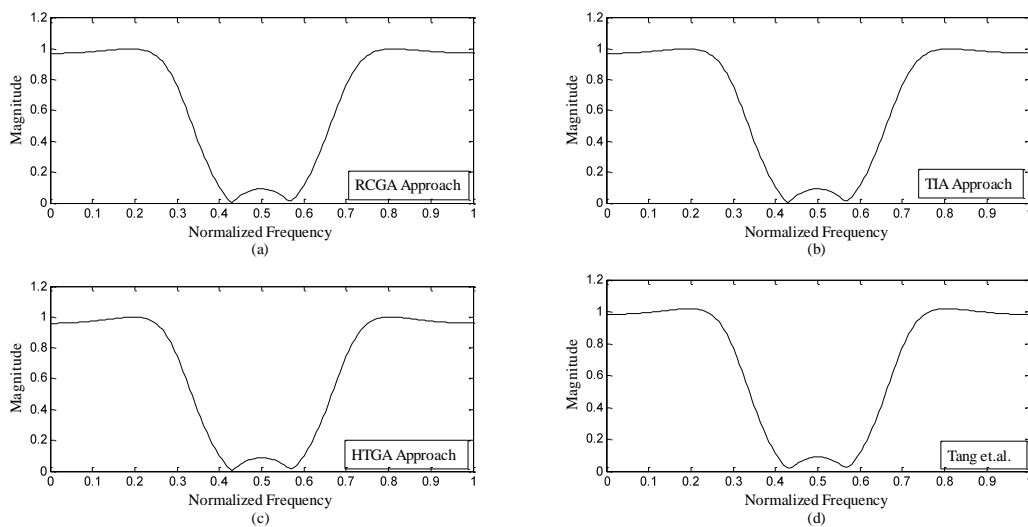


Fig. 4: Frequency responses of band stop filter using the RCGA approach and methods given in [17], [16] and [5]

V. Conclusion

On the basis of above results obtained for the design of digital IIR filter, we can conclude that with the proposed RCGA approach all LP, HP, BP, or BS filters can be independently designed and gives better performance in terms of magnitude approximation as compared to the GA-based methods presented by Tang *et al.* [5], Tsai *et al.* [16] and Tsai and Chou [17]. Summing up as shown through simulation studies RCGA proves to be a useful technique for the design of IIR filters as it satisfies prescribed amplitude specifications consistently.

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Authors’ Profiles

Ranjit Kaur: is presently working as Associate Professor in department of electronics and communication engineering at Punjabi University Patiala, Punjab, India. She did her Bachelor's degree in electronics and communication engineering from Punjabi University, Patiala, Master's degree from Punjab Technical University, Jalandhar, and presently she is pursuing Ph.D. from Punjabi University, Patiala. She is having over 15 years of teaching experience. Her current interests are Digital Signal Processing and Optimization Techniques. She is life member of ISTE.

Manjeet Singh Patterh: is presently working as Professor in department of electronics and communication engineering at Punjabi University Patiala-147002, Punjab, India. He did his Bachelor's degree from Madhav Institute of Technology and Science (MITS), Gwalior (MP) and Master's degree from Birla Institute of Technology and Science (BITS), Pilani, both in Electronics Engineering. He did his PhD from Punjab Technical University Jalandhar. He is having over 18 years of teaching experience. His current interests are Digital Signal Processing, Wireless Communication Systems and Networking. He is member of IEEE and life member of ISTE, IE (I) and IETE.

J.S. Dhillon: is presently working as Professor in department of Electrical & Instrumentation Engineering, Sant Longowal Institute of Engineering & Technology, Longowal-148106, Punjab, India. He did his Bachelor's degree from Guru Nanak Dev Engineering College (GNE), Ludhiana and Master's degree from Punjab Agriculture University (PAU), Ludhiana, both in Electrical Engineering. He did his PhD from Thapar University, Patiala. He is having over 26 years of teaching experience. His area of specialization is Economic Operations of Power System, Optimization Techniques, Microprocessors and Control Systems He is member of IEEE, IE and life member of ISTE.

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